

MALLA REDDY ENGINEERING COLLEGE (Autonomous)

I B.Tech – II Semester (MR15) I- Mid Question Bank

Subject: Computational Mathematics

(Common for CE, ME, CSE and Min.E)

MODULE – I

1. If $f(x)$ is continuous in the interval $[a, b]$ and $f(a) \& f(b)$ are of opposite signs, then the equation $f(x)=0$ has at least one root between _____ []
a) $f(a) \& f(b)$ b) $a \& b$ c) $f(a) \& a$ d) None
2. If $f(x) = x - \cos x$, by bisection method root may lie between _____ []
a) 0 & 1 b) 1 & 2 c) 2 & 3 d) None
3. If $f(x) = 4\sin x - e^x$, by bisection method root may lie between _____ []
a) 0 & 1 b) 1 & 2 c) 2 & 3 d) None
4. If $f(x) = x^3 - x - 1$, by bisection method root may lie between _____ []
a) 0 & 1 b) 1 & 2 c) 2 & 3 d) None
5. If $f(x) = x^3 - 4x - 9$, by bisection method root may lie between _____ []
a) 0 & 1 b) 1 & 2 c) 2 & 3 d) None
6. If $f(x) = x \log_{10} x - 1.2$, by bisection method root may lie between _____ []
a) 0 & 1 b) 1 & 2 c) 2 & 3 d) None
7. Which method is Convergence is very slow _____ []
a) Bisection b) Iteration c) Newton-Raphson d) The method of false position
8. If $f(x) = x^3 - 2x - 5$, by method of false position root may lie between _____ []
a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4
9. If $f(x) = x^3 - x - 1$, by method of false position root may lie between _____ []
a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4
10. Which of the following method is more accurate in finding root of equation _____ []
a) Bisection b) Iteration c) Newton-Raphson d) False position Method
11. If $f(x) = x^2 - \log_e x - 12$, by method of false position root may lie between _____ []
a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4
12. If $f(x) = x^3 - 5x - 7$, by method of false position root may lie between _____ []
a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4
13. The Regula-Falsi Method is also called as _____ []
a) Bisection b) Iteration c) Newton-Raphson d) False position Method
14. If $f(x) = xe^x - 2$, by method of false position root may lie between _____ []
a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4
15. If $f(x) = x^6 - x^4 - x^3 - 1$, by method of false position root may lie between _____ []

- a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4

16. If $f(x) = 2x - 3\sin x - 5$, by method of false position root may lie between _____ []

- a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4

17. If $f(x) = x^2 - \log_e x - 12$, by method of false position root may lie between _____ []

- a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4

18. The iterative formula is also called as _____ []

- a) Successive approximation method b) False Position Method
c) Bisection method d) None

19. The iteration formula for the Regula-Falsi method is _____ []

a) $x_{n-1} = \frac{x_{n-1}f(x_n) - x_nf(x_{n-1})}{f(x_n) - f(x_{n-1})}$

b) $x_n = \frac{x_{n-1}f(x_n) - x_nf(x_{n-1})}{f(x_n) - f(x_{n-1})}$

a) $x_{n+1} = \frac{x_{n-1}f(x_n) - x_nf(x_{n-1})}{f(x_n) - f(x_{n-1})}$

- d) None

20. If $f(x) = x^2 - 9x + 1$, by interval halving method root may lie between _____ []

- a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4

21. If $f(x)$ is continuous in the interval $[a, b]$ and $f(a) < 0$ & $f(b) > 0$ for the equation $f(x) = 0$, then the first iteration using bisection method is _____ []

a) $\frac{f(a)+f(b)}{2}$

b) $\frac{a+b}{n}$

c) $\frac{a+b}{2}$

- d) None

22. The Formula for Newton-Raphson method is _____ []

a) $x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$

b) $x_n = x_n - \frac{f(x_n)}{f'(x_n)}$

c) $x_{n+1} = x_{n+1} - \frac{f(x_n)}{f'(x_n)}$

- d) None

23. If $f(x) = e^x - 3x$ by method interval halving method root may lie between _____ []

- a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4

24. If $f(x) = \sin x + x - 1$ by Newton-Raphson method root may lie between _____ []

- a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4

25. If $f(x) = xe^x - 1$ by Newton-Raphson method root may lie between _____ []

- a) 2 & 3 b) 1 & 2 c) 0 & 1 d) 3 & 4

26. An example of an algebraic equation is _____ []

- a) $\tan x = e^x$ b) $x = \log x$ c) $x^3 - 5x + 3 = 0$ d) None

27. An example of a trascedental equation is _____ []

- a) $x^2 - 2x + 5 = 0$ b) $x^3 + x^2 - 3 = 0$ c) $x^3 e^x = 5$ d) None

28. In finding a real root of the equation $x^3 - x - 10 = 0$ by bisection if the root lies between $a=2$ and

$b=3$ then $x = _____$ []

- a) 2.5 b) 2.75 c) 2.60 d) None

29. _____ is used to find the iterative formula for Newton-Raphson method

geometrically []

- a) Tangent b) Chord c) Directrix d) None

30. The approximate value of $x=2.1714$ exact value is $x=2.17$ then the absolute error in the solution is _____ []
a)0.014 b)0.14 c)0.0014 d)None
31. Rounding number of 1.6583 upto 3 decimal places is _____ []
a)1.683 b)1.659 c)1.658 d)None
32. The Rounded-off number of 30.0567 upto 2 decimal places _____ []
a)30.057 b)30.06 c)30.056 d)None
33. If x is the true value and x_1 is the approximate value then absolute error $E_A =$ _____ []
a) $x - x_1$ b) $x - x_1/x$ c) $(x_2 - x_1)/x$ d) None
34. If x is the true value and x_1 is the approximate value E_A is absolute error then relative error $E_R =$ _____ []
a) E_A/x b) $100x E_A$ c)None
35. If E_A is absolute error and E_R relative error then percentage error $E_p =$ _____ []
a) $100x E_A$ b) $100x E_R$ c) E_A/E_R d)None
36. Geometrically the root of the equation is a point on the _____ []
a)x-axis b)y-axis c)z-axis d)None
37. If α is the root of the equation then $f(\alpha) =$ _____ []
a)0 b)1 c)2 d)None
38. If a and b are the two values between which the root of equation $f(x)=0$ lies then the iterative formula to find the root of the equation in bisection method _____ []
a) $a+b/2$ b) $a-b/2$ c) $a+2b/2$ d) None
39. The order of convergence in Newton-Raphson method is ----- []
a)1 b)2 c)0 d)none
40. The root of the equation $x^3-3x+1=0$ lies between _____ []
a)1 and 2 b)2 and 3 c)3 and 4 d)none
41. In the iterative method to express $x=\Phi(x)$, $|\Phi'(x)|$ must be -----in the interval I containing root _____ []
a) greater than 1 b)less than 1 c)not equal to 1 d)none
42. The root of the equation $x^3+x^2-1=0$ lies in the interval----- []
a)(0,1) b) (1,2) c (2,3) d)none

43. _____ is used to find the iterative formula for Regula-falsi method
geometrically []
a) Chord b) Tangent c) Directrix d) None
44. The root of the equation $3x - \cos x - 1 = 0$ lies in the interval ----- []
a)(0,1) b) (1,2) c) (2,3) d)none
45. The root of the equation $e^x - 3x = 0$ lies in the interval ----- []
a) (0,1) b) (1,2) c) (2,3) d)none
46. The root of the equation $x \sin x = 1$ lies in the interval----- []
a)(0,1) b) (2,3) c) (1,2) d)none
47. If 1.3754 67 is the exact root and 1.3754 is the approximate root of the equation $f(x)=0$ then the error in the root is--- []
a)0.000067 b)0.00067 c)0.0067 d)none
48. If α is the root of the equation $f(x)=0$ then $f(\alpha) =$ ----- []
a)1 b)0 c)2 d)none
49. Finding root of the equation $ax^2 + bx + c = 0$ by using $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ is a _____ method
a)direct method b)iterative method c)both d)none []
50. Rounding the number 0.859378 upto four significant figures results in ----- []
a) 0.85937 b)0.8593 c) 0.8594 d)none

MODULE - I

KEY:

- 1.b 2. a 3. a 4. b 5.c 6. c 7. a 8. a 9.b 10. c 11. d 12.a 13. d 14. c 15. c 16. a
 17. d 18. a 19. a 20. a 21.c. 22.a 23.c 24. c 25. c 26. c 27. c 28. a 29. a 30. c 31. c
 32. b 33. a 34. a 35. b 36. a 37. a 38.a 39.c 40.a 41. b 42. a 43.a
 44. b 45.a 46. c 47. a 48.b 49.a 50. c

MODULE – II

1. The value E^{-1} = _____ []
 a) $1+\Delta$ b) $1-\Delta$ c) $1-\Delta^{-1}$ d) None
2. If $f(x)$ is a polynomial of degree n and the values of x are equally spaced Then the n th order difference is always _____ []
 a) Constant b) variable c) Non-zero value d) Zero
3. From the following which is correct []
 a) $\mu = 1+\delta^2$ b) $\mu^2 = 1-\delta^2$ c) $\mu^2 = 1+\frac{1}{3}\delta^2$ d) None
4. In the Newton's forward interpolation formula p value always []
 a) Zero b) Negative c) Positive d) None
5. If ' Δ ' is the forward difference operator then Δ^3y_0 = _____ []
 a) $y_3+3y_2+3y_1+y_0$ b) $y_3-3y_2+3y_1-y_0$ c) $y_3+3y_2-3y_1-y_0$ d) none
6. Gauss-Backward Interpolation formula is used to interpolate the values of y for []
 a) $-1 < p < 0$ b) $-\infty < p < 0$ c) $0 < p < 1$ d) $0 < p < -1$
7. The n^{th} order difference of a polynomial of n^{th} degree is _____ []
 a) polynomial of $(n-1)^{\text{th}}$ degree b) Constant c) Polynomial of first degree d) zero
8. The relation between E and ∇ is _____ []
 a) $\nabla = 1+E^{-1}$ b) $\nabla = 1+E$ c) $\nabla = 1-E$ d) $\nabla = 1-E^{-1}$
9. Given that

X	1	2	3
Y	3	8	15

Then $\Delta^2f(1) =$ _____ []
 a) $4x$ b) 2 c) $4x-8$ d) none

10. $\Delta f(x) =$ _____ []
 a) $f(x) - f(x-h)$ b) $f(x) + f(x-h)$ c) $f(x+h) - f(x)$ d) None
11. $f(x) = x^2 + 2x + 1$ and $h = 3$ then $\Delta f(x) =$ _____ []
 a) $4x$ b) $4x+8$ c) $4x-8$ d) none

12. Given

X	0	1	2
Y	7	10	13

By Newton's forward interpolation formula $y(2.5) =$ _____ []
 a) 14.5 b) 16.75 c) 16.25 d) None

13. If D is the differential operator and h is the difference between equally spaced arguments then e^{hD}

[]

- a) E b) E^{-1} c) Δ d) none

14. Consider

x	1	2	3
y	1	1.8	3.3

To find y at $x=0.8$, we use _____ []

- a) Newtons forward formula b) Newtons backward formula c) Gauss formula d) none

15. Consider

x	15	25	35
y	111	118	123

To find y at $x=16$, we use _____ []

- a) Newtons forward formula b) Newtons backward formula c) Gauss formula d) None

16. Consider

x	15	29	35
y	111	118	123

To find y at $x=16$, we use _____ []

- a) Newtons forward formula b) Newtons backward formula c) Gauss formula d) none

17. Consider

x	19	29	39
y	1	1.8	2.4

To find y at $x=16$, we use _____ []

- a) Newtons forward formula b) Newtons backward formula c) Gauss formula d) none

18. $1+\Delta =$ _____ []

- a) E b) E^{-1} c) D d) none

19. The relation between E and ∇ is _____ []

- a) $\nabla = 1+E^{-1}$ b) $\nabla = 1+E$ c) $\nabla = 1-E$ d) none

20. $1+\frac{1}{4}\delta^2 =$ _____ []

- a) μ b) μ^3 c) μ^2 d) none

21. If $\Delta^n f(x)$ is constant then $\Delta^{n+1} f(x) =$ _____ []

- a) 1 b) n c) $n+1$ d) 0

22. If $f(x)$ is a polynomial of degree 2016 then $\Delta^{2020} f(x) =$ _____ []

- a) 2016 b) 2020 c) 2019 d) 0

23. $\Delta \cos x =$ _____ []

- a) $\sin(x+h) - \sin x$ b) $\sin(x+h) + \sin x$ c) $\cos(x+h) - \cos x$ d) none

24. $\Delta \log f(x) =$ _____ []

- a) $\log f(x)$ b) $\log f(x+h) + f(x)$ c) $\log f(x+h) - f(x)$ d) $\log f(x+h)f(x)$

25. If $\Delta(e^x) =$ _____ taking $h=1$ []

- a) $(e-1)(e^x)$ b) $(e+1)(e^x)$ c) $(e-1)^2(e^x)$ d) none

26. If $\Delta y = 1+2x+3x^2$ then which of the following is true _____ []

- a) $y = x^3+x^2$ b) $\Delta^3 xy = 6$ c) $\Delta^4 y = 0$ d) none

27. Gauss-forward Interpolation formula is used to interpolate the values of y for []

- a) $-1 < p < 0$ b) $-\infty < p < 0$ c) $0 < p < 1$ d) $0 < p < -1$

28. The following is used for unequal interval of x values _____ []

- a) Lagrange's formula b) Newton's forward formula c) Gauss' forward formula d) None

29. Which of the following formula is used to interpolating the values of y beginning of the table _____ []

- a) Newtons forward b) Newtons backward c) Gauss forward d) none

30. Which of the following formula is used to interpolating the values of y ending of the table _____ []

- a) Newtons forward b) Newtons backward c) Gauss backward d) none

31. Which of the following formula is used to interpolating the values of y center of the table _____ []

- a) Newtons forward b) Newton's backward c) Gauss formula d) none

32. The n^{th} order difference of a polynomial of n^{th} degree is _____ []

- a) polynomial of $(n-1)^{\text{th}}$ degree b) Constant c) Polynomial of first degree d) zero

33. The relation between E and ∇ is _____ []

- a) $\nabla = 1+E^{-1}$ b) $\nabla = 1+E$ c) $\nabla = 1-E$ d) $\nabla = 1-E^{-1}$

34. Given $f(x) = x^2 + 2x + 1$ and $h=3$ then $\Delta f(x) =$ _____ []

- a) $4x$ b) $4x+8$ c) $4x-8$ d) none

35. Using Gauss's forward interpolation formula to find $y(22)$ from the table p value is []

x	20	25	30	35	40	45
f(x)	354	332	291	260	231	204

- a) 0.4 b) -0.6 c) 0.6 d) none

36. To interpolate the y value for unequally spaced points we use _____ formula. []

- a) Newton-forward interpolating formula b) Newton-Backward interpolating formula
c) Gauss Interpolation formula d) Lagrange's interpolation formula

37. The unique polynomial $p(x)$ of degree 2 or less such that []

x	1	3	4
P(x)	1	27	64

- a) $8x^2 - 19x + 12$ b) $10x^2 - 19x + 12$ c) $8x^2 - 25x + 12$ d) $15x^2 - 20x + 12$

38. The averaging operator μ is----- []

- a) $\frac{1}{2}(y_{r+\frac{1}{2}} + y_{r-\frac{1}{2}})$ b) $\frac{1}{4}(y_{r+\frac{1}{2}} + y_{r-\frac{1}{2}})$ c) $\frac{1}{6}(y_{r+\frac{1}{2}} + y_{r-\frac{1}{2}})$ d) $\frac{1}{8}(y_{r+\frac{1}{2}} + y_{r-\frac{1}{2}})$

39. The relation between Δ and E is ----- []

- a) $\Delta = E + 1$ b) $\Delta = E - 1$ c) $\Delta = 2E + 1$ d) $\Delta = E + 2$

40. The relation between δ and E is----- Type equation here. []

- a) $\delta = E^{\frac{1}{2}} + E^{-\frac{1}{2}}$ b) $\delta = E^{\frac{1}{2}} + E^{\frac{3}{2}}$ c) $\delta = E^{\frac{1}{2}} - E^{-\frac{1}{2}}$ d) None

41. The relation between Δ and ∇ is ----- []

- a) $\Delta = \nabla E$ b) $\nabla = \Delta E$ c) $\Delta = \nabla - 1$ d) none

42. The relation between δ and μ is ----- []

- a) $\mu^2 = 1 + \frac{1}{4}\delta^2$ b) $\mu^2 = 1 - \frac{1}{4}\delta^2$ c) $\mu^2 = 1 + \frac{1}{4}\delta$ d) none

43. The relation between δ and E is----- []

- a) $\delta = E^{\frac{1}{2}} + E^{-\frac{1}{2}}$ b) $\delta = E^{\frac{1}{2}} + E^{\frac{3}{2}}$ c) $\delta = E^{\frac{1}{2}} - E^{-\frac{1}{2}}$ d) None

44. The relation between Δ and ∇ is ----- []

- a) $\Delta = \nabla E$ b) $\nabla = \Delta E$ c) $\Delta = \nabla - 1$ d) none

45. The relation between δ and μ is ----- []

- a) $\mu^2 = 1 + \frac{1}{4}\delta^2$ b) $\mu^2 = 1 - \frac{1}{4}\delta^2$ c) $\mu^2 = 1 + \frac{1}{4}\delta$ d) none

46. The relation between μ and E is ----- []

- a) $\mu = \frac{1}{2}(E^{\frac{1}{2}} + E^{-\frac{1}{2}})$ b) $\mu = \frac{1}{2}(E^{\frac{1}{2}} - E^{-\frac{1}{2}})$ c) $\mu = (E^{\frac{1}{2}} - E^{-\frac{1}{2}})$ d) None

47. $\sum_{k=0}^{n-1} \Delta^2 f_k = -----$ []

- a) $\Delta f_n - \Delta f_0$ b) $\Delta f_n - \Delta f_0$ c) $\Delta f_n - \Delta f_0$ d) none

48. $(1 + \nabla)(1 - \nabla) = -----$ []

- a) 1 b) 2 c) 3 d) none

49. $19)\mu \delta = -----$ []

- a) $\frac{1}{4}(\Delta + \nabla)$ b) $(\Delta + \nabla)$ c) $\frac{1}{2}(\Delta + \nabla)$ d) none

50. $E^{-\frac{1}{2}} = -----$ []

- a) $\mu - \frac{1}{2}\delta$ b) $\mu - \delta$ c) $\mu + \frac{1}{2}\delta$ d) none

MODULE - II

KEY:

1.d 2. a 3.d 4. c 5.b 6. a 7. b 8. d 9.b 10. c 11. d 12.a 13. a 14. a 15. a 16. d

17. a 18. a 19. d 20. c 21.d 22.d 23.c 24. d 25.a 26. c 27. c 28. a 29. a 30. b 31. c

32. b 33. d 34. d 35. a 36. d 37. a 38.a 39. b 40. d 41. a 42. a 43.a

44.a 45.a 46. a 47. a 48. a 49.c 50. a

MODULE - III

- 1) If $y=a+bx+cx^2$ then the third normal equation by least squares method is $\sum x^2 y = \underline{\hspace{2cm}}$ []
 a) $na+b\sum x+c\sum x^2$ b) $a\sum x^2+b\sum x^3 + c\sum x^4$ c) $a\sum x+b\sum x^2 + c\sum x^3$ d) none
- 2) If $y=a+bx+cx^2$ is fitted to the data(x,y)are(-1,2),(0,1)and(1,4)then the second normal equation is $\underline{\hspace{2cm}}$ []
 a) $2a=2$ b) $2a=3$ c) $2b=2$ d) $2c=2$
- 3) If $y=a+bx+cx^2$ then the First normal equation by least squares method is $\sum y = \underline{\hspace{2cm}}$ []
 a) $na+b\sum x+c\sum x^2$ b) $a\sum x^2+b\sum x^3 + c\sum x^4$ c) $a\sum x+b\sum x^2 + c\sum x^3$ d) none
- 4) If $y=a+bx+cx^2$ then the Second normal equation by least squares method is $\sum xy = \underline{\hspace{2cm}}$ []
 a) $na+b\sum x+c\sum x^2$ b) $a\sum x^2+b\sum x^3 + c\sum x^4$ c) $a\sum x+b\sum x^2 + c\sum x^3$ d) none
- 5) If $y=ax+\frac{b}{x}$ then the First normal equation to fit the curve is $\sum xy = \underline{\hspace{2cm}}$ []
 a) $na+b\sum x$ b) $na+b\sum x^2$ c) $a\sum x^2 + nb$ d)
 $a\sum x + nb$
- 6) If $y=a+bx^2$,then the First normal equation to fit the curve is $\sum y = \underline{\hspace{2cm}}$ []
 a) $na\sum x + b\sum yx^2$ b) $na+b\sum x^3$ c) $na+b\sum x^2$ d)
 $na\sum x+b\sum x^2$
- 7) If $y=a+bx^2$,then the First normal equation to fit the curve is $\sum x^2 y = \underline{\hspace{2cm}}$ []
 b) $a\sum x+ b\sum x^3$ b) $a\sum x^2 + b\sum x^4$ c) $a\sum x^4 + b\sum x^6$ d)
 $a\sum x+ b\sum x^2y$
- 8) If $y=a+bx$, the First normal equation is $\sum y = \underline{\hspace{2cm}}$ []
 a) $a\sum x+b\sum x^3$ b) $a\sum x^2+ b\sum x^4$ c) $na+b\sum x$ d) $a\sum y_i + b\sum x_i^2 y_i$
- 9) If $y=a+bx$, the second normal equation is $\sum xy = \underline{\hspace{2cm}}$ []
 a) $a\sum x+b\sum x^3$ b) $a\sum x+b\sum x^2$ c) $na+b\sum x$ d) $a\sum y_i + b\sum x_i^2 y_i$
- 10) If $y=ab^x$, $\sum x=36$, $\sum x^2 = 204$, $n=8$, $\sum \log y=3.7393$, $\sum x \log y=22.7385$ then the first normal equation to fit the curve is $\underline{\hspace{2cm}}$ []
 a) $8a+36\log b=3.7393$ b) $8\log a+36\log b=3.7393$ c) $8\log a+36b=3.7393$ d) $8a+36b=3.7393$
- 11) If $y=a+bx+ cx^2$ is fitted to the data(x,y)are (0,1), (1,1.8), (2,1.3), (3,2.5), (4,6.3) then the third normal equation is $\underline{\hspace{2cm}}$ []
 a) $5a+10b+30c=12.9$ b) $5a+10b+29c=15$ c) $5a+10b+31c=15$ d) none
- 12) If $y=a+bx+ cx^2$ is fitted to the data(x,y)are (0,1), (1,1.8), (2,1.3), (3,2.5), (4,6.3) then the first normal equation is $\underline{\hspace{2cm}}$ []
 a) $5a+10b+30c=12.9$ b) $5a+10b+29c=15$ c) $5a+10b+31c=15$ d) $5a+10b+28c=35.1$
- 13) If $y=ab^x$, then the first normal equation is $\sum \log y = \underline{\hspace{2cm}}$ []
 a) $na+b\sum x$ b) $n\log a+ b\sum x$ c) $a\sum x+ b\sum \log x$ d) $n\log a+ b\sum \log x$
- 14) If $y=a+bx$, $\sum x = 15$, $\sum y = 30$, $\sum xy = 110$, $\sum x^2 = 55$, then $a_1 = \underline{\hspace{2cm}}$ []
 a) 1.89 b) 2.5 c) 1.2 d) 2
- 15) If $y=2x+5$ is the best fit for 6 pairs of values(x,y) by the method of least-squares, find $\sum x_i$ if $\sum y_i=120$. []
 a) 40 b) 35 c) 45 d) 30
- 16) Curve fitting method uses= $\underline{\hspace{2cm}}$ []
 a) Least root method b) Least method c) Least square method d) all

- 17) If $y=a+bx+cx^2$ is fitted to the data(x,y)are (-1,2), (0,1) and (1,4) then the first normal equation is _____ []
 a) $2a+2b=6$ b) $3a+3b=6$ c) $2a+3b=6$ d) $3a+2b=6$
- 18) If $\sum x = 15$, $\sum y = 30$, $\sum xy = 110$, $\sum x^2 = 55$, and If $y=a+bx$ then $a=$ _____ []
 a) 2.2 b) 1.52 c) 1.2 d) 0
- 19) If $z=a+bx+cy$ is fitted to the data(x,y,z) are (0,0,2), (1,1,4), (2,3,3), (4,2,16) and (6,8,8) then the second normal equation is _____ []
 a) $13a+58b+63c=122$ b) $13a+57b+65c=122$ c) $13a+57b+63c=122$ d) none
- 20) If $y=ae^{bx}$ then the First normal equation is $\sum \log y =$ _____ []
 a) $na+b\sum x$ b) $n \log_e^a + b\sum x$ c) $a\sum x+bx^2$ d) $a\sum \log y + b\sum x$
- 21) If $z=a+bx+cy$ is fitted to the data(x,y,z) are (0,0,2), (1,1,4), (2,3,3), (4,2,16) and (6,8,8) then the third normal equation is _____ []
 a) $14a+63b+78c=108$ b) $14a+63b+79c=109$ c) $15a+63b+78c=109$
 d) none
- 22) Certain experimental values of x and y are given; (0,1), (2,5), (5,12), (7,20) if $y=a+bx$ then the first normal equation is _____ []
 a) $4a+16b=36$ b) $5a+16b=40$ c) $4a+14b=36$ d) $4a+15b=36$
- 23) If $z=a+bx+cy$ is fitted to the data(x,y,z) are (0,0,2), (1,1,4), (2,3,3), (4,2,16) and (6,8,8) then the first normal equation is _____ []
 a) $5a+13b+15c=33$ b) $5a+13b+14c=33$ c) $6a+13b+14c=33$ d) none
- 24) If $y=a+bx+cx^2$ is fitted to the data(x,y)are (-1,2), (0,1) and (1,4) then the first normal equation is _____ []
 a) $3a+2b=7$ b) $3a+3b=7$ c) $2a+3b=9$ d)
 $3a+2b=8$
- 25) Certain experimental values of x and y are given; (0,-1), (2,5), (5,12), (7,20) if $y=a+bx$ then the second normal equation is _____ []
 a) $14a+76b=210$ b) $14a+78b=210$ c) $15a+78b=210$ d) none

Key:

1.b	2. a	3.a	4.c	5.c	6.c	7.b	8.c	9.b	10.b	11.d	12.a	13.d
14.d	15.c	16.c	17.a	18.d	19.c	20.b	21.d	22.c	23.b	24.a	25.b	